

EGC442

Class Notes

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Baback Izadi

Division of Engineering Programs

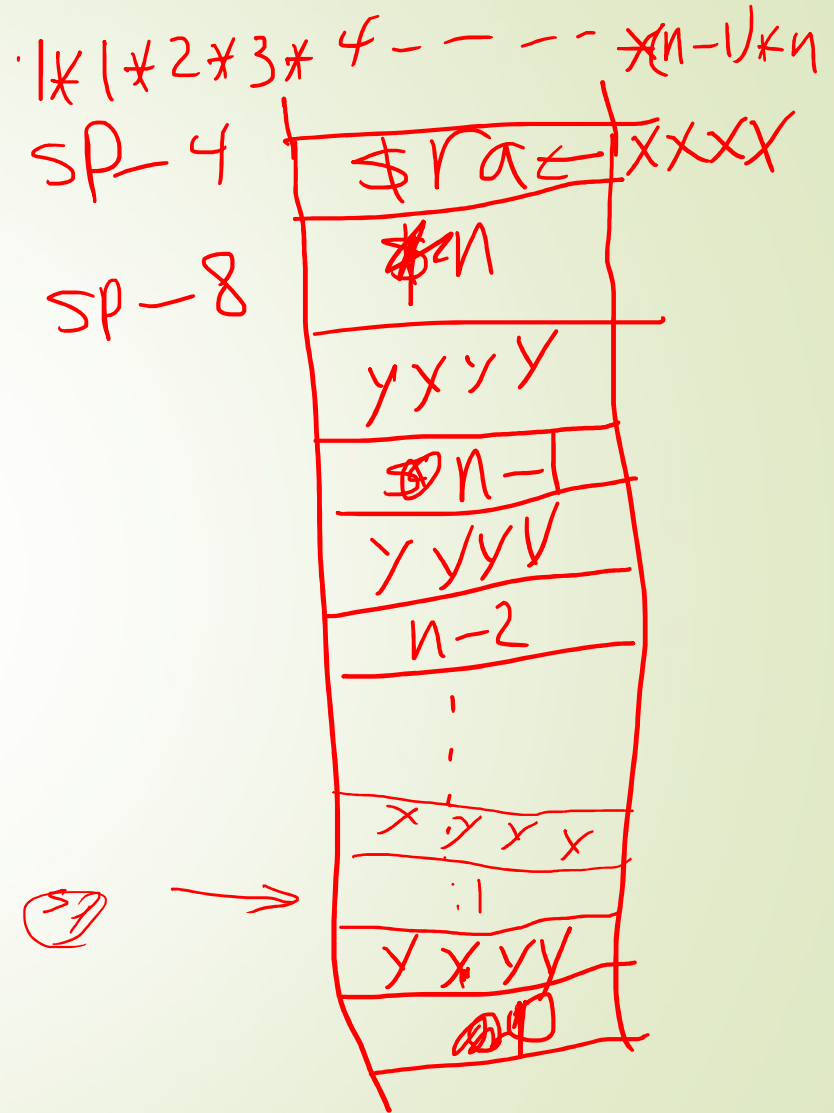
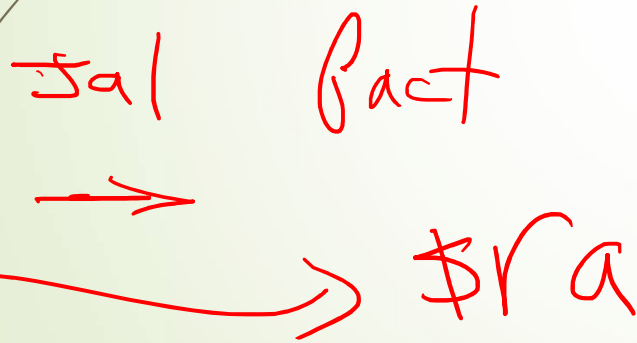
bai@engr.newpaltz.edu

```

int fact (int n)
{
  if (n < 1) return 1;
  else return n * fact(n - 1);
}

```

Argument n in \$a0
Result in \$v0



Non-Leaf Procedure Example

fact:

```
    addi    $sp, $sp, -8    # adjust stack for 2 items
    sw      $ra, 4($sp)    # save return address
    sw      $a0, 0($sp)    # save argument
    slti    $t0, $a0, 1    # test for n < 1
    beq     $t0, $zero, L1 ;
    addi    $v0, $zero, 1  # if so, result is 1
    addi    $sp, $sp, 8    # pop 2 items from stack
    jr     $ra             # and return
L1: addi    $a0, $a0, -1   # else decrement n
    jal    fact           # recursive call
    lw     $a0, 0($sp)    # restore original n
    lw     $ra, 4($sp)    # and return address
    addi    $sp, $sp, 8    # pop 2 items from stack
    mul    $v0, $a0, $v0  # multiply to get result
    jr     $ra           # and return
```

$n=0 \rightarrow \$t0 = 1$
 $t0 \neq 1 \rightarrow n \neq 1$

xyxy

$X = 2000 = \&X[0]$

Register MIPS

$X[k]$

2000
2003

2004

$X[0]$

$X[1]$

2007

$X[1] = M[2000 + 1 * 4] =$

$X[k]$

$2000 + k * 4$

$sw add r_{t, r_{s1, 2}}$

add \$s1, ...
Jal swap



2's Comp.

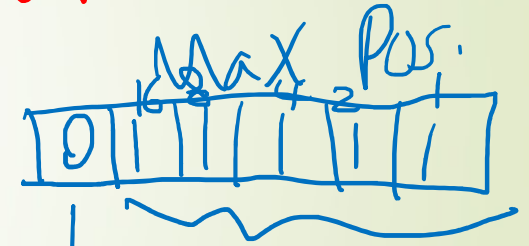
0 - - - 0 1 0 0

5 - 4

1 - - 1 1 1 0 0

Z = 0

0 0 0 1 0 1
1 1 1 1 0 0



+31

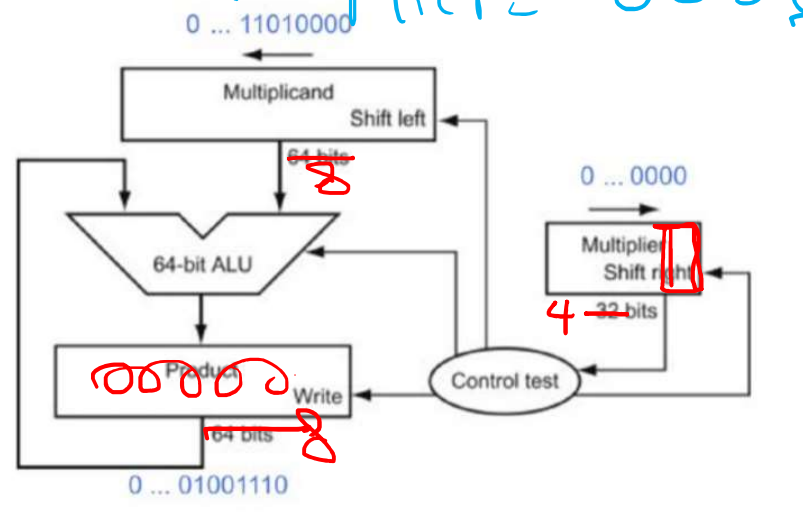
cy 1 0 0 0 0 0 1

-32

S

⑤ multiplicand = 1101000 Multiplier = 0000

$$\begin{array}{r} 8421 \\ 1101 \text{ (Multiplicand)} \\ \times 0110 \text{ (Multiplier)} \\ \hline 78 \end{array}$$



① Product 0000 0000

② Multiplier 0110 no add

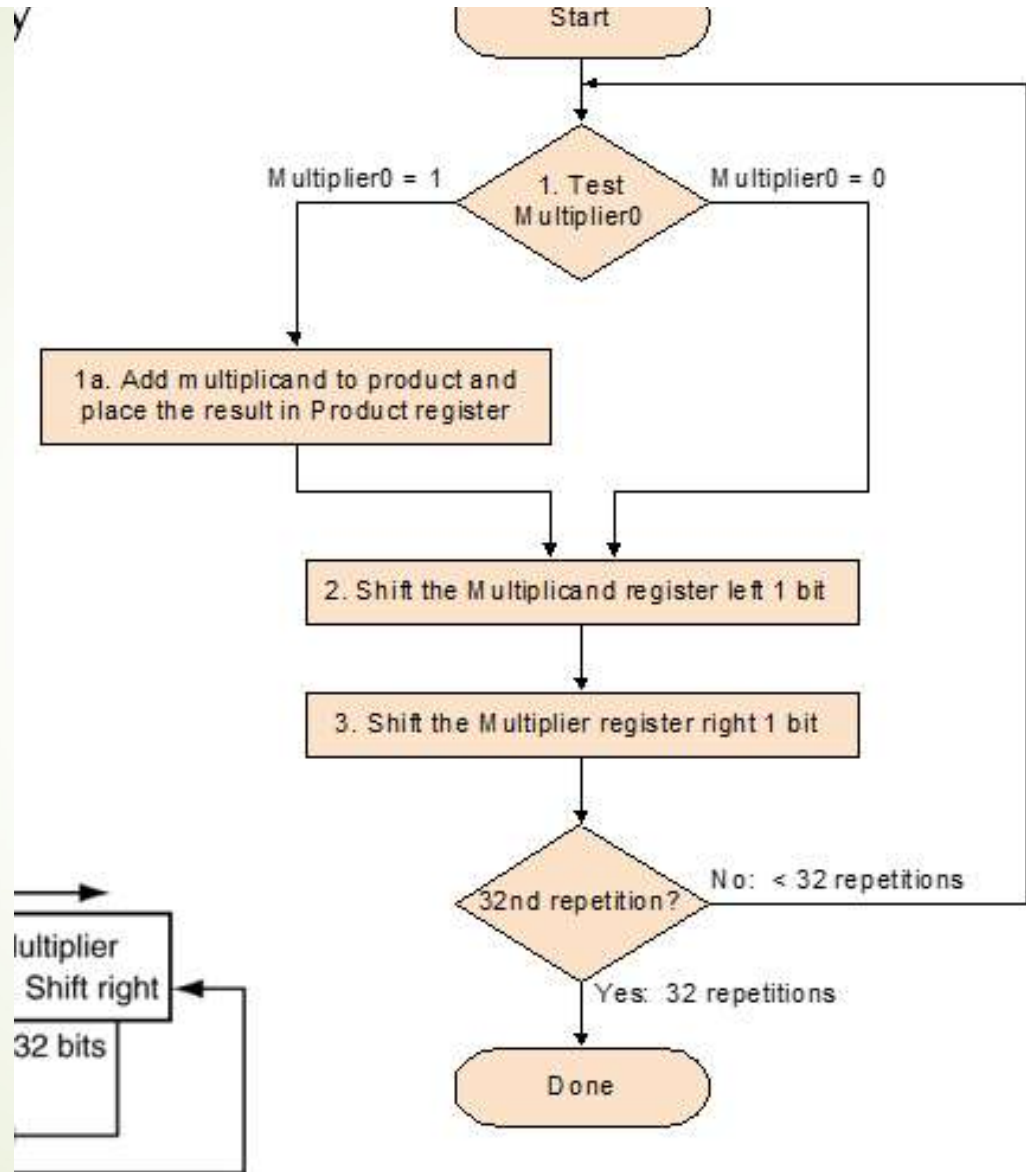
product 0000 0000

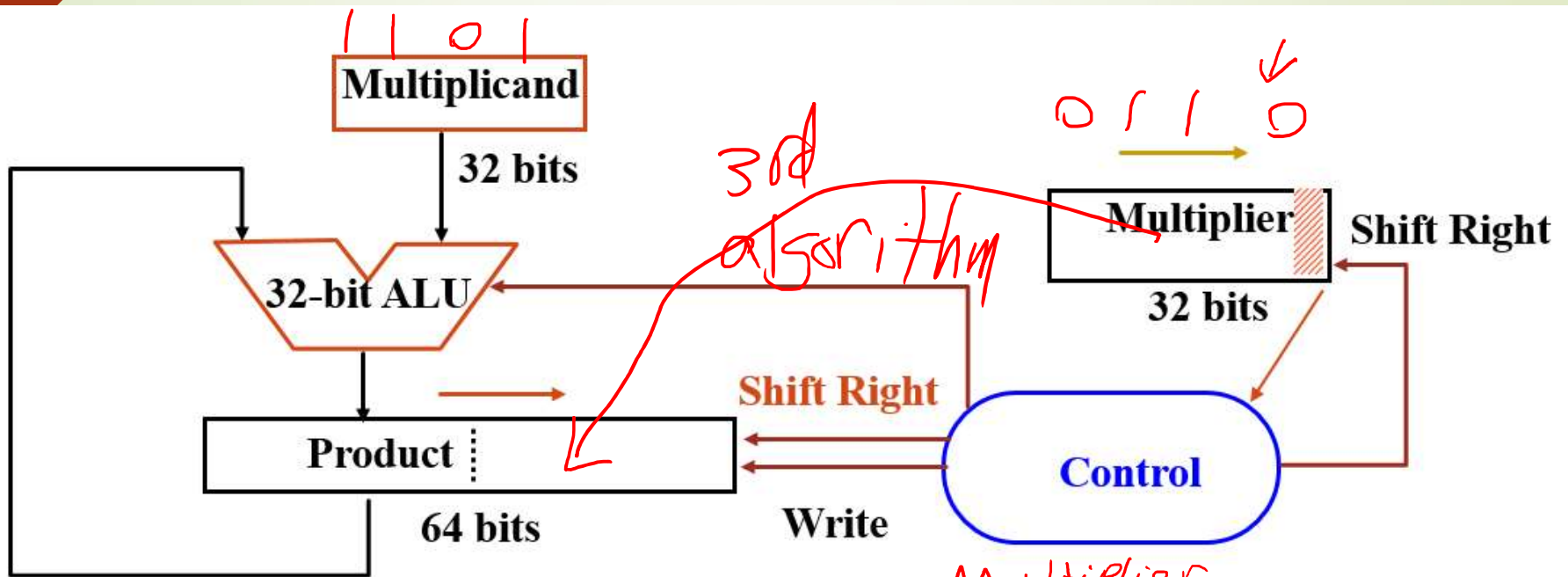
③ multiplicand = 11010 Multiplier 0011 — add

product 00011010

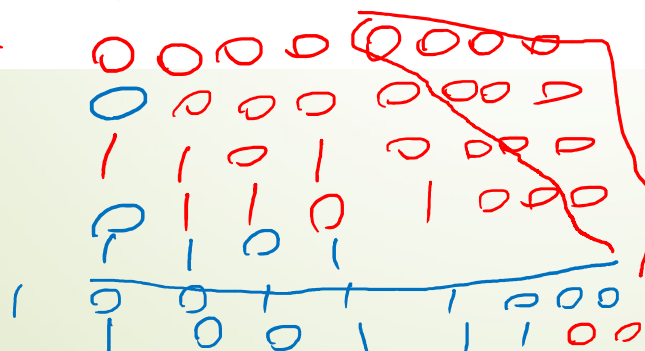
④ multiplicand = 110100 Multiplier = 00011 ← add

$$\begin{array}{r} 011010 \\ 01001110 \\ \hline 01001110 \end{array} \rightarrow \text{product} \rightarrow 78$$





Product



78

Consider the subtraction of base ten numbers 5 - 4 using 32-bit binary numbers, and achieved by adding 5 with the two's complement of 4:

$$\begin{array}{r}
 00 \dots 0101 \quad 00 \dots 0101 \\
 -00 \dots 0100 \quad +11 \dots dcba \\
 \hline
 \hline
 s00 \dots zyxw
 \end{array}$$

$$\begin{array}{r}
 000101 \\
 111100 \\
 \hline
 000001
 \end{array}$$

3) dcba

1011

1100

4) zyxw

0000

0001

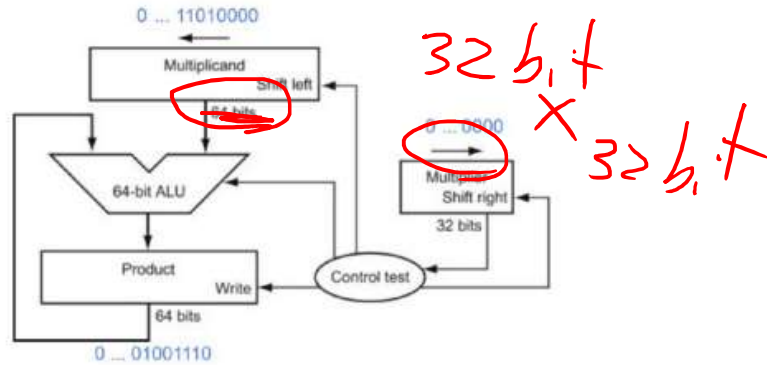
5) If a 33rd sum bit, s, existed on the left, what value would that bit get?

0

1



For the first multiplication algorithm, as depicted the following diagram



15) Each step of the multiplication algorithm shifts the Multiplier register 1 bit to the ____.

right

left

16) The Multiplier register is ____-bits wide.

32

64

17) Each step of the multiplication algorithm shifts the Multiplicand register 1 bit to the ____.

right

left

18) The Multiplicand register is ____-bits wide.

32

64

19) The Product register is ____-bits wide.

32

64

128

Consider $13_{ten} \times 6_{ten}$, or $1101_{two} \times 0110_{two}$. Fill in the missing values.

$$\begin{array}{r}
 1101 \text{ (Multiplicand)} \\
 \times 0110 \text{ (Multiplier)} \\
 \hline
 \text{???? (Partial product 1)} \\
 \text{???? (Partial product 2)} \\
 \text{???? (Partial product 3)} \\
 + \text{???? (Partial product 4)} \\
 \hline
 \text{?????? (Product)}
 \end{array}$$

$$\begin{array}{r}
 1101 \\
 \times 0110 \\
 \hline
 0000 \\
 1101 \\
 0000 \\
 0000
 \end{array}$$

$$\begin{array}{r}
 0000 \\
 1101 \\
 0000 \\
 0000 \\
 \hline
 0000 \\
 1101 \\
 0000 \\
 0000
 \end{array}$$

- 9) Partial product 1
 - 0000
 - 1101
- 10) Partial product 2
 - 0000
 - 1101
- 11) Partial product 3
 - 0000
 - 1101
- 12) Partial product 4
 - 0000
 - 1101